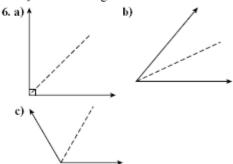
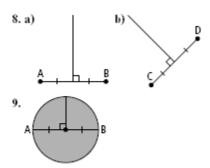
MathLinks 9 Practice and Homework Book Chapter 10 Answers

10 Get Ready

- 1. a) 2 cm b) 1.5 cm
- 2. a) Examples: 6 cm, 4.5 cm
 - b) 6.28 cm, 4.71 cm
- 3. a) any estimate between 20° and 30°
- b) any estimate between 45° and 60°
 - c) any estimate between 100° and 110°
- 4. a) 25° b) 48° c) 105°
- Example: I was pretty close but a little large.
 My estimated angle was 58°.



 Example: It bisects a 90° angle and 45° is half of 90°.

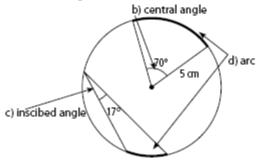


Example: AB is a diameter. Its perpendicular bisector is at the centre of the circle and defines two radii.

10.1 Exploring Angles in a Circle

1. a) arc b) inscribed angle c) subtended

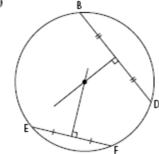
2. a)-d) Example:



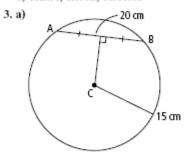
- 3. a) 35°. Example: ∠FIH measures 90° because it is an inscribed angle subtended by the diameter IG, therefore ∠IHF must measure 55° (total of angles in a triangle is 180° and 180 - 35 - 90 = 55); ∠GHI measures 90° for the same reason as ∠FIH, and ∠GHI - ∠IHF = 35° (90 - 55 = 35).
 - b) central angle. Example: It is formed by FJ and GJ, which are radii of a circle.
 - c) 70°. Example: It is a central angle subtended by the same arc as the inscribed ∠FHG of 35° (see answer a) above).
- 4. a) 90° b) 4 cm 5. a) 60° b) Example: 1 and 7
- 6. a) 9.5 cm b) 90° c) 8.5 cm
- a) 106°. Example: △STR is an isosceles triangle because ST and TR are both radii of the circle and therefore equal. 180 – 37 – 37 = 106
 - b) 53°. Example: Since they are subtended by the same arc, inscribed angle ∠RQS must be half the measure of the central angle ∠RTS.

10.2 Exploring Chord Properties

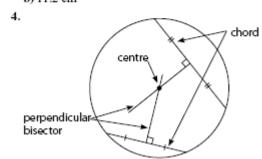
1. a)-c)



- 2. a) centre, bisectors, chords
 - b) bisector, chord, centre
 - c) centre, bisector, chord
 - d) centre, chord, bisector



b) 11.2 cm



- 5. a) 14.28 cm b) 5.72 cm c) approximately 3.5 cm
- 6.15.28 cm
- a) Example: Use the rope to create two chords and their perpendicular bisectors; the centre of the circle is where the bisectors meet.
 - b) approximately 5.3 m

10.3 Tangents to a Cirde

- False. A tangent always touches a circle once.
- False. The place a tangent touches a circle is called the point of tangency.
- 3. True 4. True
- a) 90°. Example: Segment FD is tangent to the circle at point F. FG is a radius. Tangents are perpendicular to the related radius.
 - b) 30°. Example: △FDG is a right triangle. The sum of angles in a triangle is 180°. 180° - 90° - 60° = 30°
 - c) 75°. Example: △FGH is an isosceles triangle and ∠FGH = 30°, and (180° – 30°) ÷ 2 = 75°
- 6. 73 cm 7. a) 10.8 cm b) 39.5°
- 8. a) 12.03 m
 - b) Example: Darcy's arm forms the radius of his turning circle. This is half the diameter. When he lets the discus go, it leaves along a tangent to the circle he made.

10 Chapter Link

- 1. a) 90° b) central 2. a) 45°
- Yes. Example: One side of the △HED is the circle's diameter (chord HD).
- 4. 14.14 m
- 5. a) 2.93 m b) 18.47 m c) 7.66 m
- 6. 22.5°. Example: Since angle ∠BJD measures 90° or twice that of ∠BGD (being the inscribed angle subtended by the same arc), and radius JC bisects the chord resulting in ∠DJC measuring half of ∠BJD or 45°; ∠JCD = 180 − ∠DJC ÷ 2, or 67.5°; ∠JCL = 90° because CL is a tangent and GC is the diameter, so ∠DCL = 90 − ∠JCL or 22.5°.

10 Vocabulary Link

- 1. b) 2. a) 3. e) 4. c) 5. i)
- 6. d) 7. g) 8. h) 9. f)

T A N G E N T) C G S W Q S O F S S A R C J P E R P E N D I C U L A R V C U T C H C I C H C V Q D C H V B U T N Q P Z A Z E X L O W M R H R U L M T U H X P A R A N N F X X O J Y V D W V O E C Q L W P R T S Q W H R P H Y I D J O Y N O E I E C R A I C J T K C J B D V V M D M C N O A T J T G K B U O I B F G J R M E N T F L F J X R X Q M F L H H G E A X N T E A A E B W J N R O P U W R Y J D C T V R C N R M E O A J Z F H K V O G O L A B S I G C I C A W M Z M X C R D B P D R X S R L T N S C R I B E D A N G L E R Y O Q C E B O S S S A Z H R P U I G U M A S U L C B R C I T O V C E M G C D A S N T A E W J A K C V O H Y T A N Q S T V G H R R
CICHCVODCH BUTNOPZAZ EXLOWMRHRULMTUHXPARA NNFXXOJYVDWVOECQLWPR TSQWHRPHYIDJONNOEIEC RAICJTKCJBDVVMDDMCNO ATJTGKBUOIBFGJRMENTF LFJXRXQMFLHHGEAXNTEA AEBWJNROPUWRYJOCTVRC NRMEOAJZFHKVOGOLABSI GCICAWMZMXCRDBPDRXSR LTNSCRIBEDANGLERYOQC EBOSSSAZHRPUIGUMASUL CBRCITOVCEMGCDASNTAE WJAKCVOHYTANQSTVGHRR
E X L O W M R H R U L M T U H X P A R A N N F X X O J Y V D W V O E C Q L W P R T S Q W H R P H Y I D J O T N O E I E C R A I C J T K C J B D V V M D D M C N O A T J T G K B U O I B F G J R M E N T F L F J X R X Q M F L H H G E A X N T E A A E B W J N R O P U W R Y J D C T V R C N R M E O A J Z F H K V O G O L A B S I G C I C A W M Z M X C R D B P D R X S R L T N S C R I B E D A N G L E R Y O Q C E B O S S S S A Z H R P U I G U M A S U L C B R C I T O V C E M G C D A S N T A E W J A K C V O H Y T A N Q S T V G H R R
N N F X X O J Y V D W V O E C Q L W P R T S Q W H R P H Y I D J O Y N O E I E C R A I C J T K C J B D V V M O D M C N O A T J T G K B U O I B F G J R M E N T F L F J X R X Q M F L H H G E A X N T E A A E B W J N R O P U W R Y J O C T V R C N R M E O A J Z F H K V O G O L A B S I G C I C A W M Z M X C R D B P D R X S R L T N S C R I B E D A N G L E R Y O Q C E B O S S S A Z H R P U I G U M A S U L C B R C I T O V C E M G C D A S N T A E W J A K C V O H Y T A N Q S T V G H R R
T S Q W H R P H Y I D J O N O E I E C R A I C J T K C J B D V V M O D M C N O A T J T G K B U O I B F G J R M E N T F L F J X R X Q M F L H H G E A X N T E A A E B W J N R O P U W R Y J O C T V R C N R M E O A J Z F H K V O G O L A B S I G C I C A W M Z M X C R D B P D R X S R L T N S C R I B E D A N G L E R Y O Q C C B R C I T O V C E M G C D A S N T A E W J A K C V O H Y T A N Q S T V G H R R
T S Q W H R P H Y I D J O N O E I E C R A I C J T K C J B D V V M O D M C N O A T J T G K B U O I B F G J R M E N T F L F J X R X Q M F L H H G E A X N T E A A E B W J N R O P U W R Y J O C T V R C N R M E O A J Z F H K V O G O L A B S I G C I C A W M Z M X C R D B P D R X S R L T N S C R I B E D A N G L E R Y O Q C C B R C I T O V C E M G C D A S N T A E W J A K C V O H Y T A N Q S T V G H R R
R A I () T K C J B D V V M D D M C N O A T J T G K B U O I B F G J R M E N T F L F J X R X Q M F L H H G E A X N T E A A E B W J N R O P U W R Y J O C T V R C N R M E O A J Z F H K V O G O L A B S I G C I C A W M Z M X C R D B P D R X S R L N S C R I B E D A M G L E R Y O Q C C B O S S S A Z H R P U I G U M A S U L C B R C I T O V C E M G C D A S N T A E W J A K C V O H Y T A N Q S T V G H R R
A T J T G K B U O I B F G J R M E N T F L F J X R X Q M F L H H G E A X N T E A A E B W J N R O P U W R Y J O C T V R C N R M E O A J Z F H K V O G O L A B S I G C I C A W M Z M X C R D B P D R X S R L N S C R I B E D A M G L E R Y O Q C C B O S S S A Z H R P U I G U M A S U L C B R C I T O V C E M G C D A S N T A E W J A K C V O H Y T A N Q S T V G H R R
L F J X R X Q M F L H H G E A K N T E A A E B W J N R O P U W R Y J O C T V R C N R M E O A J Z F H K V O G O L A B S I G C I C A W M Z M X C R D B P D R X S R L T N S C R I B E D A M G L E R Y O Q C E B O S S S A Z H R P U I G U M A S U L C B R C I T O V C E M G C D A S N T A E W J A K C V O H Y T A N Q S T V G H R R
N
N
G C I C A W M Z M X C R D B P D R X S R L T N S C R I B E D A N G L E R Y O Q C E B O S S S A Z H R P U I G U M A S U L C B R C I T O V C E M G C D A S N T A E W J A K C V O H Y T A N Q S T V G H R R
EBOSSSAZHRPUIGUMASUL CBRCITOVCEMGCDASNTAE WJAKCVOHYTANQSTVGHRR
C B R C I T O V C E M G C D A S N T A E W J A K C V O H Y T A N Q S T V G H R R
C B R C I T O V C E M G C D A S N T A E W J A K C V O H Y T A N Q S T V G H R R
WJ A KCVOHŸTANQSTV G HRR
ES R DOPL BS FRGPS MI L NEG
RXC TKC J V E R Q F C L U B (E) N A I

Chapters 1-10 Review

- 1. a) 5 + n, n = a number added to 5
 - b) b 6, b = number of bicycles he started with
- 2. a) Example:

Weeks, w	Total Savings, S (\$)
0	27
1	47
2	67
3	87
4	107
5	127

b) S = 20w + 27 c) \$667

- 3. No. Example: The figures are not proportional. Although the related angles appear to correspond, the related sides are not proportional. For example, AD is 1.5 cm and EH is 1.0 cm, but AB is 1.5 cm and EF is 1.1 cm.
- 4. a) $1\frac{31}{92}$ b) $-\frac{5}{6}$
- 5. a) Example:



b) 6 c) 6 d)
$$60^{\circ}$$
, $\frac{1}{6}$

- 6.19
- 7. a) a = 12 b) p = 7
- 8. 552 cm²
- 9. $\angle a = \angle b = 90^{\circ}$, $\angle c = 100^{\circ}$, $\angle p = 80^{\circ}$
- 10. a) x < 57 b) $x \ge -5$ c) x < 3
- 11. a) Yes, because the household could use more kilowatt hours (extrapolate), or a whole number between the shown values (interpolate).
 - b) approximately \$260 c) approximately 75 kWh
- 12. ∠AED = 90°, radius = 5 cm